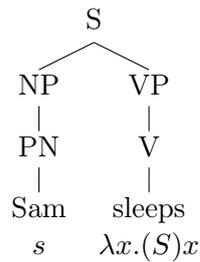
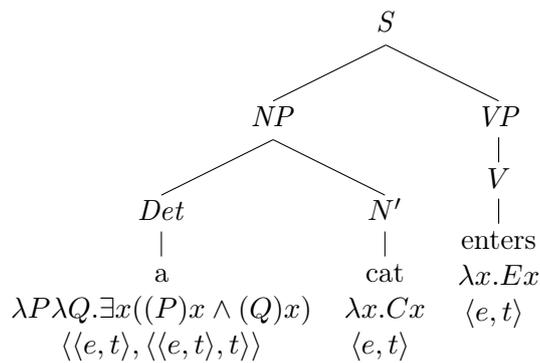


- (1) a. Sam sleeps
 b. $(S)s$



| | | | |
|---------------------------|---------------|------------------------------|----------------------------|
| S | \rightarrow | NP | VP |
| $\llbracket S \rrbracket$ | \leftarrow | $(\llbracket VP \rrbracket)$ | $\llbracket NP \rrbracket$ |
| 0 | \leftarrow | (2) | 1 |
| NP | \rightarrow | PN | |
| 0 | \leftarrow | 1 | |
| VP | \rightarrow | V | |
| 0 | \leftarrow | 1 | |
| PN | \rightarrow | Sam | |
| 0 | \leftarrow | s | |
| V | \rightarrow | $sleeps$ | |
| 0 | \leftarrow | $\lambda x.(S)x$ | |

- (2) a. A cat enters
 b. $\exists x (Cx \wedge Ex)$



| | | | |
|------|---------------|-------|------|
| S | \rightarrow | NP | VP |
| 0 | \leftarrow | (1) | 2 |
| NP | \rightarrow | Det | N' |
| 0 | \leftarrow | (1) | 2 |
| VP | \rightarrow | V | |
| 0 | \leftarrow | 1 | |

- A cat enters
- Sam likes Pam
- Everyone likes Pam
- Everyone likes an actress
- Sam is mortal
- Sam met a tall person
- Sam doesn't sleep

- $\exists x (Cx \wedge Ex)$
- Lsp (or $((L)s)p$)
- $\forall x (Px \rightarrow Lxp)$
- $\forall x (Px \rightarrow \exists y (Ay \wedge Lxy))$
- Ms
- $\exists x((Px \wedge Tx) \wedge Msx)$
- $\neg Ss$